

Static Types

static types

- Some languages have static types
 - Types of key program elements — variables, functions — are known at compile time, before the program runs
 - Could be expressed directly in the program (`int x`)
 - Could be inferred from other parts of the program (`x = 7 + 2`)
- Contrast with dynamically typed languages that don't express types in the program
- Types of program elements are not determined until runtime
 - Python, Perl, LISP
 - Not the same as the language not having types!

type checking

- Static types give compilers the power to do **static type checking**
 - Use type information to catch and prevent bugs
 - Intuition: prove at *compile* time that certain errors cannot occur at *run time*
- Think of this as a generalization, or more powerful version, of what we already do in our compiler

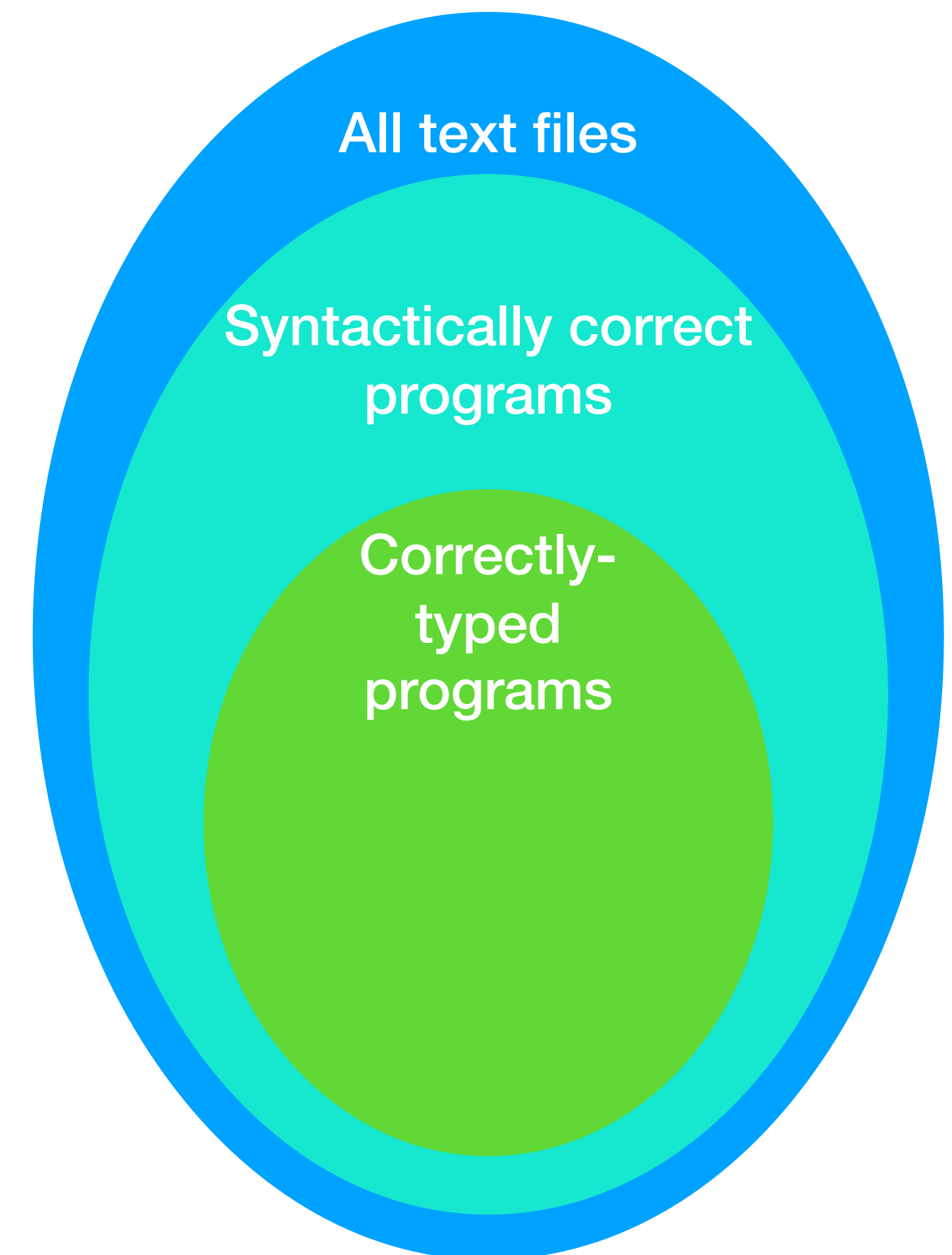
type checking

- Parsing identifies when a program is *syntactically correct*
- But syntactically correct programs can still have problems!



type checking

- Parsing identifies when a program is *syntactically correct*
- But syntactically correct programs can still have problems!
- A **correctly-typed** program obeys additional rules:
 - e.g., all arithmetic expressions use compatible types
 - e.g., all functions are called with the correct type of arguments



correctly typed \neq correct

- Saying a program is **correctly typed** is saying something specific:
 - Certain run-time errors cannot happen

```
int main() {  
    foo('a');  
}  
  
void foo(int * p) {  
    print(* p);  
}
```

correctly typed \neq correct

- Saying a program is **correctly typed** is saying something specific:
 - Certain run-time errors cannot happen
- Does not mean a program is correct!
 - Other run-time errors can still happen
 - Other bugs can still happen
- Could be caught by dynamic type checks
 - e.g., Java catches null de-references

```
int main() {  
    int * x = null;  
    foo(x);  
}  
  
void foo(int * p) {  
    print(* p);  
}
```

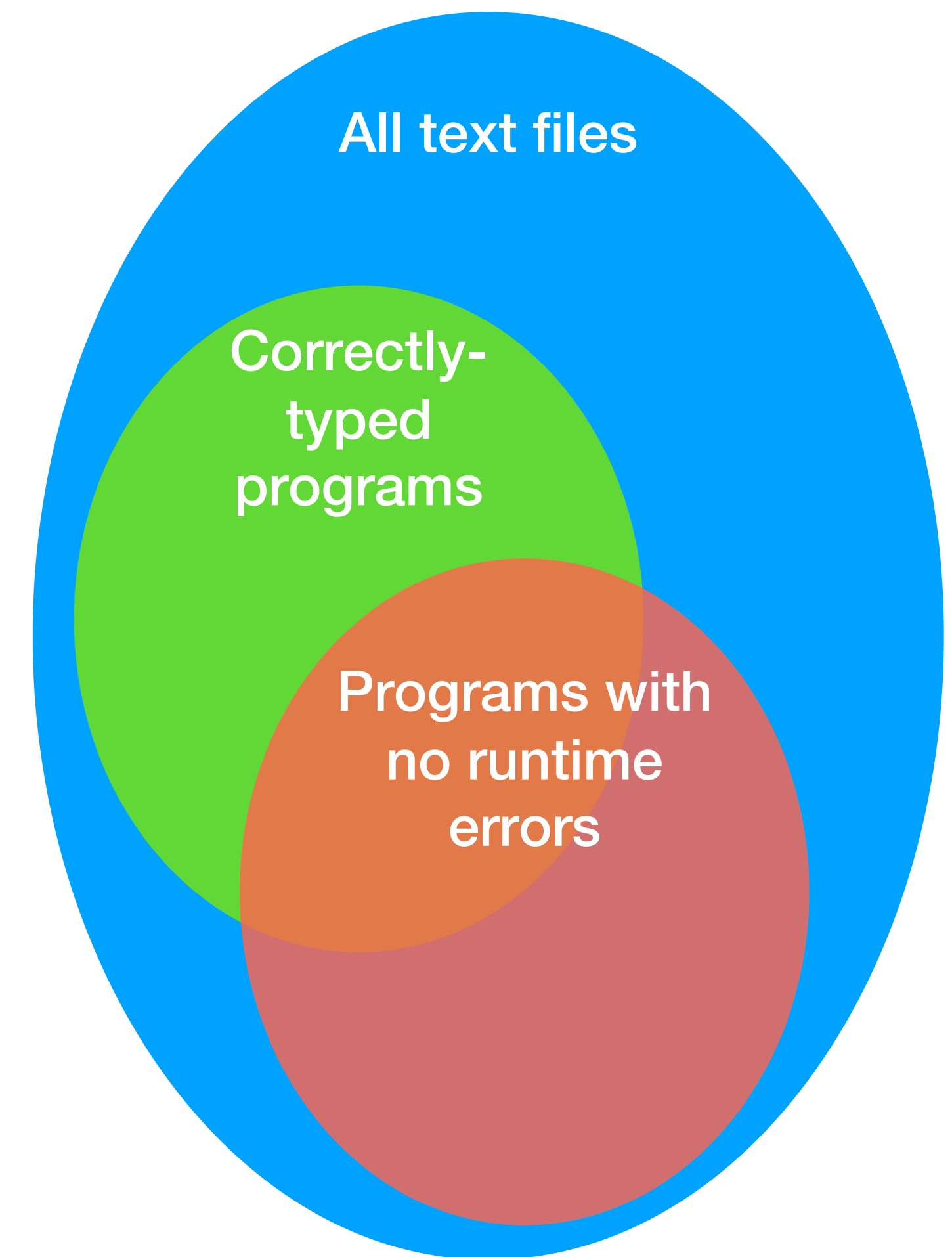
correctly typed \neq correct

- Saying a program is **correctly typed** is saying something specific:
 - Certain run-time errors cannot happen
- A program that is **not** correctly typed may still be “safe”
 - If the compiler allowed it to run, it would not have a runtime error
- An equivalent Python program would not have an error

```
int main() {
    int a = 2;
    foo('x', a);
}
void foo(int * p, int b) {
    if (b != 2)
        print(* p);
}
```

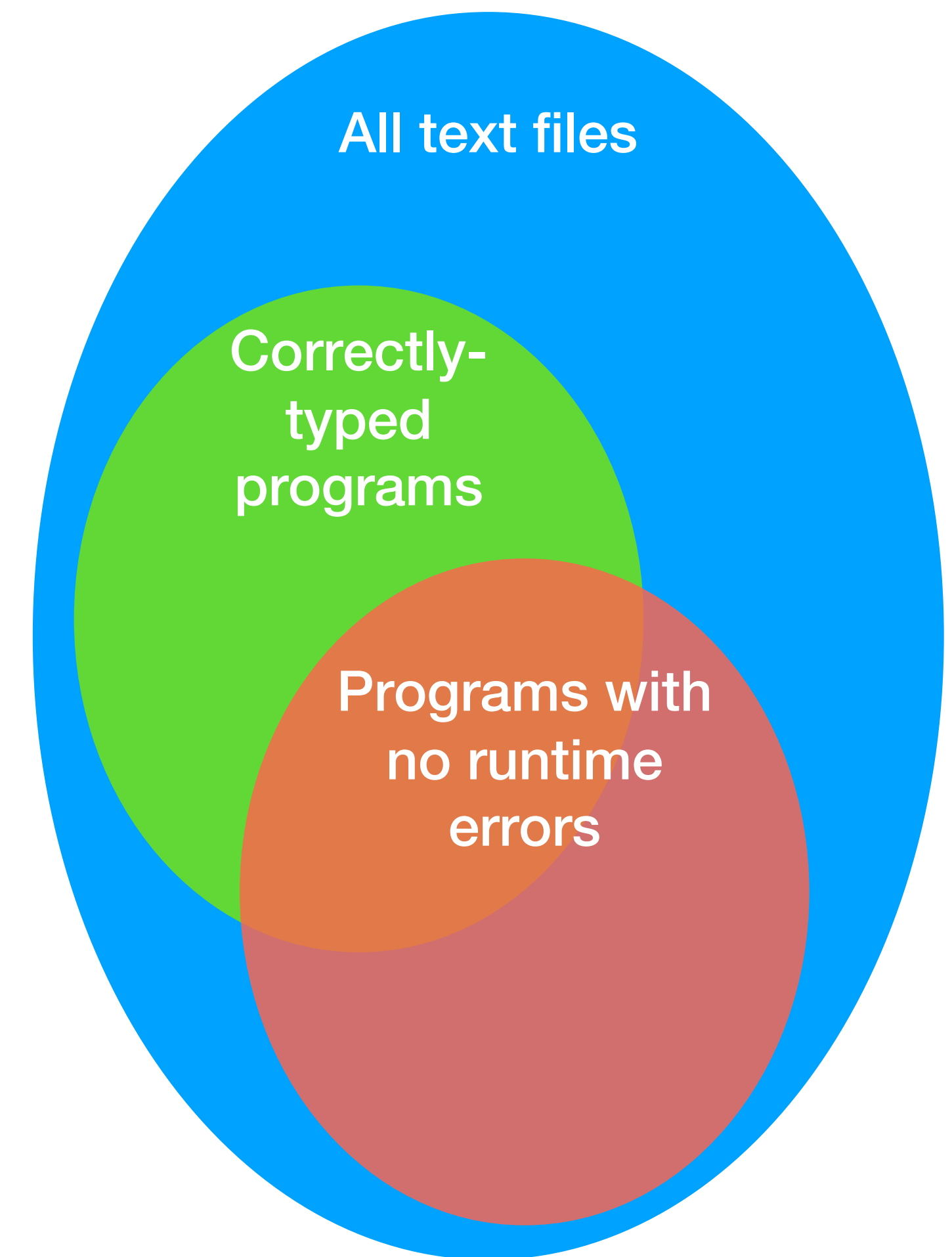

correctly typed \neq correct

- Saying a program is **correctly typed** is saying something specific:
 - Certain run-time errors cannot happen
- A program that is **not** correctly typed may still be “safe”
 - If the compiler allowed it to run, it would not have a runtime error



correctly typed \neq correct

- Saying a program is **correctly typed** is saying something specific:
 - Certain run-time errors cannot happen
- So why do this?
 - The set of run-time errors ruled out by a correctly typed program may be large and important!



example tradeoffs

- Different languages make different tradeoffs between static typing, dynamic typing, and no checks
- C/C++
 - Static typing ensures arithmetic operations are compatible, function calls are compatible
 - No (or very few) runtime checks for things like array out of bound, null dereferences
- Java
 - Static typing ensures arithmetic operations are compatible, function calls are compatible
 - Runtime checks ensure that array accesses are in bounds, pointers are not null

power of static types

- Static types say: **certain run time errors cannot occur**
- How do you decide?
 - Static types make stronger guarantees → fewer runtime errors can occur
 - But static type systems cannot guarantee everything!
 - Guarantee that a program terminates → not possible!

what else are static types good for?

- Help **programmers structure code**
 - Types provide a form of documentation
- Help **IDEs work better**
 - Types give IDEs more information about a program for tools like code completion
- Prove **very strong properties** about programs
 - The “set of values” that a type constrains can be very limiting indeed!
 - e.g., the range of an integer value (e.g. [0, 100] can be a type)
 - (Some times can even use undecidable type systems for things like theorem proving)